ERRATUM TO "THE HEAT KERNEL WEIGHTED HODGE LAPLACIAN ON NONCOMPACT MANIFOLDS."

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Theorem 3.4 in [**B**] requires an additional hypothesis. Add the first sentence: "Suppose that either ker $\triangle_\mu^p \cong L_\mu^2 H^p$ for all p or ker $\triangle_{\mu^-}^p \cong L_{\mu^-}^2 H^p$ for all p (*cf.* theorems 5.9 and 5.10)."

The last three sentences of the proof of theorem 3.4 are incorrect and should be replaced by: "Let $[\omega'] \in L_\mu^2 H$ be nonzero. Let $\omega \in [\omega']$ be the harmonic ($\triangle_\mu \omega = 0$) representative, so $\omega \neq 0$ and

$$d\left(\star_\mu \omega\right) = \pm \star \star d \star e^{2h} \omega = \pm e^{2h}\left(e^{-2h}\delta e^{2h}\right)\omega = \pm e^{2h}\delta_\mu \omega = 0$$

(recall $\delta = \pm \star d\star$ and $\star\star = \pm 1$). Since $\int_M \omega \wedge \star_\mu \omega = \|\omega\|_\mu^2 > 0$, the pairing is nondegenerate. □"

Finally, the sentence following theorem 3.4 should read: "We have shown exactly that $[\star_\mu \omega]$ is the Poincaré dual of $[\omega']$ if $\omega \in [\omega']$ is the harmonic representative."

Thanks to Denis Bell for finding this error.

REFERENCES

[**B**] Edward L. Bueler, *The heat kernel weighted Hodge Laplacian on noncompact manifolds*, Trans. Amer. Math. Soc. **351 no. 2** (1999), 683–713.

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